

# Strength of the [Z–I...Hal]- and [Z–Hal...I]- halogen bonds: electron density properties and halogen bond length as estimators of interaction energy

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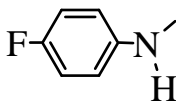
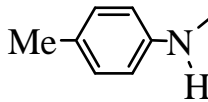
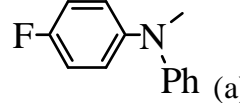
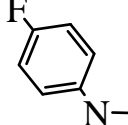
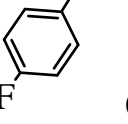
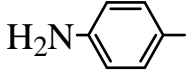
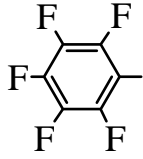
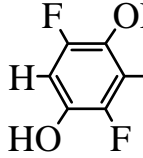

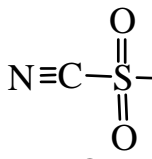
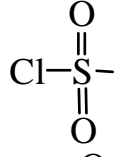
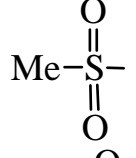
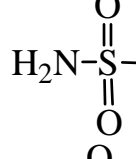
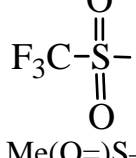
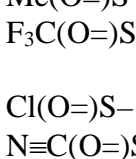
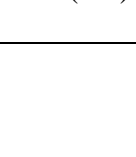
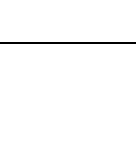
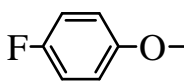
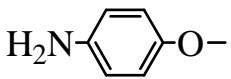
## Supplementary Material

**Table S1.** Relationships between interaction energy ( $E_{\text{int}}$ , kcal/mol) and electron density based estimators.

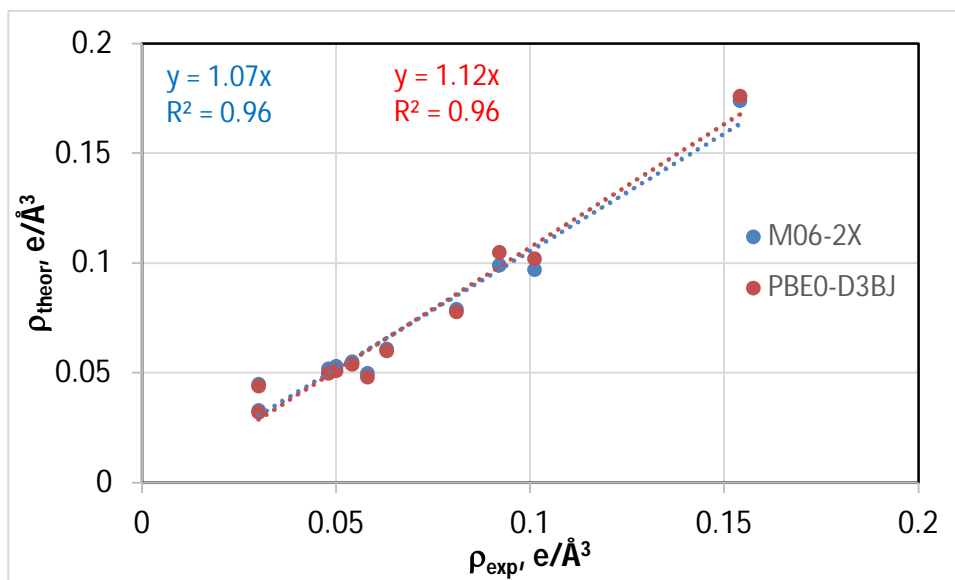
Type of interaction	Estimator	Relationship	Reference
H...O	$V_b$	$E_{\text{int}} \sim 0.5V_b$	[81]
FH...FR	$G_b$	$E_{\text{int}} \sim -0.429G_b$	[82,85]
	$V_b$	$E_{\text{int}} \sim 0.37V_b - 3.1$	[82]
	$\rho_b$	$E_{\text{int}} \sim -186\rho_b + 2.3$	[82]
	$\nabla^2\rho_b$	$E_{\text{int}} \sim -2.52\nabla^2\rho_b - 5.2$	[82]
	$\lambda_{\parallel,b}$	$E_{\text{int}} \sim -6.7\lambda_{\parallel,b} + 2.3$	[82]
Cl...X <sup>b</sup>	$V_b$	$E_{\text{int}} \sim 0.49V_b$	[118]
	$G_b$	$E_{\text{int}} \sim -0.47G_b$	[118]
Br...X <sup>b</sup>	$V_b$	$E_{\text{int}} \sim 0.58V_b$	[118]
	$V_b$	$E_{\text{int}} \sim 0.375V_b - 0.57$	[119]
	$G_b$	$E_{\text{int}} \sim -0.57G_b$	[118]
I...X <sup>b</sup>	$V_b$	$E_{\text{int}} \sim 0.68V_b$	[118]
	$V_b$	$E_{\text{int}} \sim 0.556V_b + 0.64$	[119]
	$G_b$	$E_{\text{int}} \sim -0.67G_b$	[118]
F...F	$G_b$	$E_{\text{int}} \sim -0.129G_b$	[86]
Cl...Cl	$V_b$	$E_{\text{int}} \sim -0.1006V_b^2 - 0.218V_b - 0.55$	[116]
	$G_b$	$E_{\text{int}} \sim -0.0841G_b^2 + 0.367G_b - 0.84$	[116]
	$\rho_b$	$E_{\text{int}} \sim -535.9\rho_b^2 + 31.13\rho_b - 0.87$	[116]
	$\nabla^2\rho_b$	$E_{\text{int}} \sim -0.09e^{2.405\nabla^2\rho_b} - 0.17$	[116]
	$\lambda_{\parallel,b}$	$E_{\text{int}} \sim -0.099e^{1.762\lambda_{\parallel,b}} - 0.17$	[116]
Br...Br	$V_b$	$E_{\text{int}} \sim -0.0926V_b^2 - 0.173V_b - 0.16$	[116]
	$G_b$	$E_{\text{int}} \sim -0.1178G_b^2 + 0.73G_b - 1.5$	[116]
	$\rho_b$	$E_{\text{int}} \sim -380.6\rho_b^2 + 24.78\rho_b - 0.42$	[116]
	$\nabla^2\rho_b$	$E_{\text{int}} \sim -0.07e^{2.624\nabla^2\rho_b} + 0.1$	[116]
	$\lambda_{\parallel,b}$	$E_{\text{int}} \sim -0.3e^{1.306\lambda_{\parallel,b}} + 0.71$	[116]
I...I	$V_b$	$E_{\text{int}} \sim -0.0635V_b^2 - 0.217V_b - 0.25$	[116]
	$G_b$	$E_{\text{int}} \sim -0.1564G_b^2 + 1.138G_b - 2.25$	[116]
	$H_b$	$E_{\text{int}} \sim 2.35H_b - 1.87$	[116]
	$\rho_b$	$E_{\text{int}} \sim -305.2\rho_b^2 + 21.78\rho_b - 0.44$	[116]
	$\lambda_{\parallel,b}$	$E_{\text{int}} \sim -0.031e^{2.818\lambda_{\parallel,b}} + 0.25$	[116]

<sup>a</sup>  $V_b$ ,  $G_b$ , and  $H_b$  in kcal/(mol•bohr<sup>3</sup>),  $\rho_b$  in e/Å<sup>3</sup>,  $\nabla^2\rho_b$  and  $\lambda_{\parallel,b}$  in e/Å<sup>5</sup>. <sup>b</sup> X = N, S, O, C in ref. [118], X = O, N, F in ref. [119].

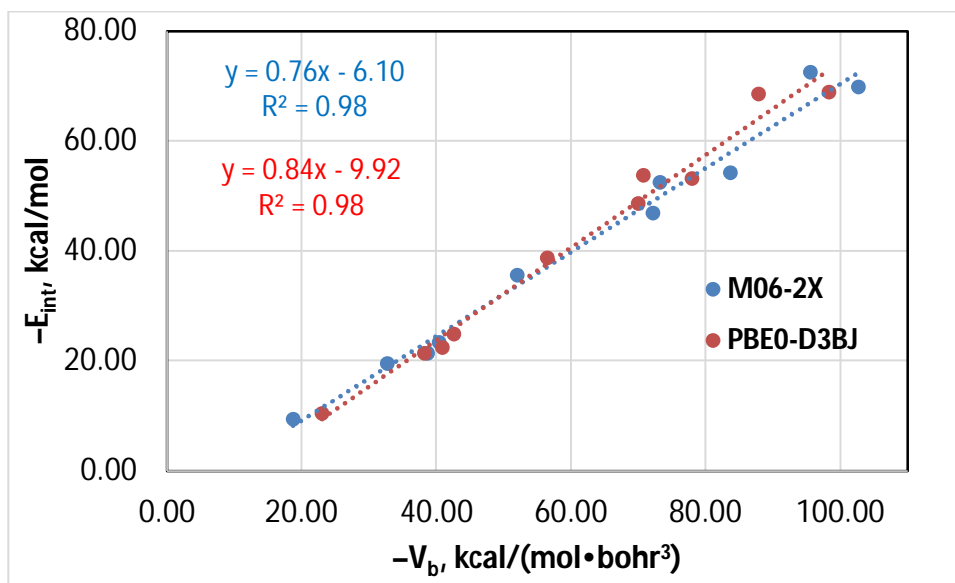
**Table S2.** Calculated structures.

[(A) <sub>n</sub> Z-Y•••X] <sup>-</sup> (Y = I, X = F, Cl, Br, I; Y = Cl, Br, X = I)			
<p><b>Z = Hal</b></p> <p>(A)<sub>n</sub>Z = F Cl, Br I</p>	<p><b>Z = N</b></p> <p>(A)<sub>n</sub>Z = H<sub>2</sub>N- Me<sub>2</sub>N- H(Ph)N- Ph<sub>2</sub>N- (a)</p>         	<p><b>Z = N</b></p> <p>(A)<sub>n</sub>Z = C=N- H<sub>2</sub>C=N- F<sub>2</sub>C=N- Me<sub>2</sub>C=N- O<sub>2</sub>N-</p> <p><b>Z = S</b></p> <p>(A)<sub>n</sub>Z =</p>        	<p><b>Z = P</b></p> <p>(A)<sub>n</sub>Z = H<sub>2</sub>P- H(F)P- F<sub>2</sub>P- Cl<sub>2</sub>(O=)P- F<sub>2</sub>(O=)P- H<sub>2</sub>(O=)P- H(F)(O=)P- Me<sub>2</sub>(O=)P-</p> <p><b>Z = B</b></p> <p>(A)<sub>n</sub>Z = F<sub>2</sub>B- H<sub>2</sub>B- H(F)B- H(HO)B-</p> <p><b>Z = Si</b></p> <p>(A)<sub>n</sub>Z = Me<sub>3</sub>Si- F<sub>3</sub>Si- H<sub>3</sub>Si- H<sub>2</sub>(F)Si- H(F)<sub>2</sub>Si-</p> <p><b>Z = O</b></p> <p>(A)<sub>n</sub>Z = HO- MeO- PhO-</p>   <p><b>Z = H</b></p> <p>(A)<sub>n</sub>Z = H</p>
<p><b>Z = C (sp<sup>2</sup>)</b></p> <p>(A)<sub>n</sub>Z = HC≡C- MeC≡C- FC≡C-</p>			

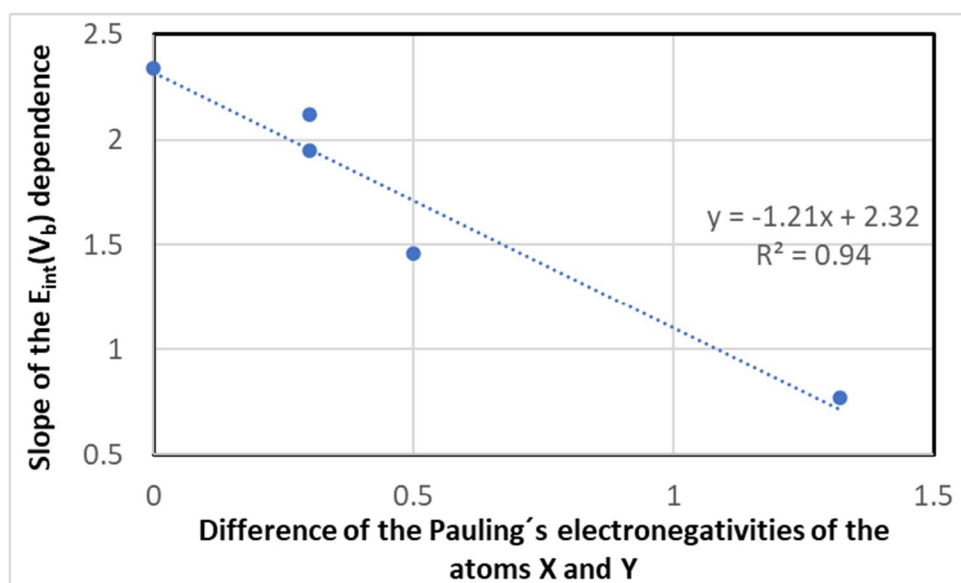
(a) Except Y = X = I.



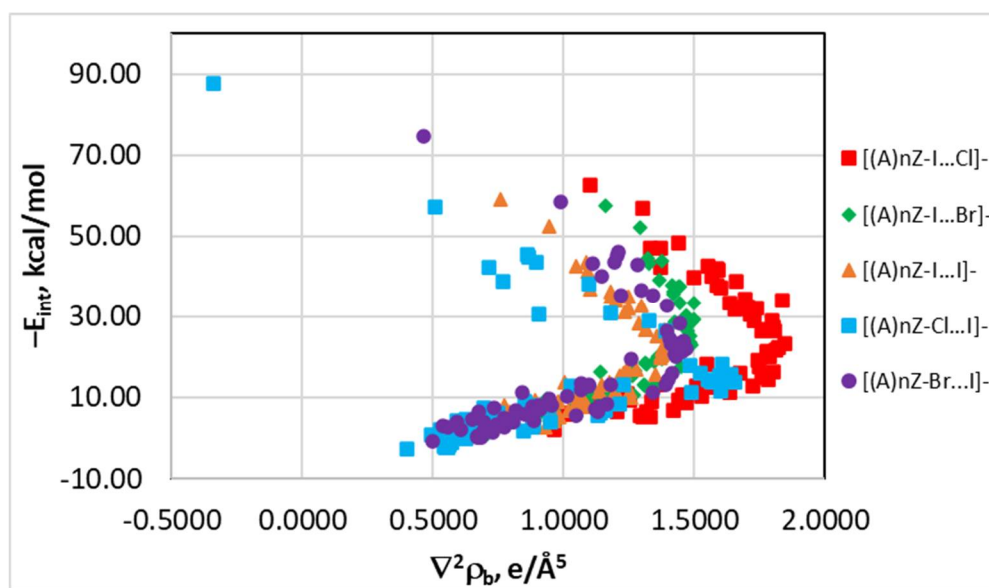
**Figure S1.** Correlations between theoretical and experimental values of the electron density (see Table 3 for details).



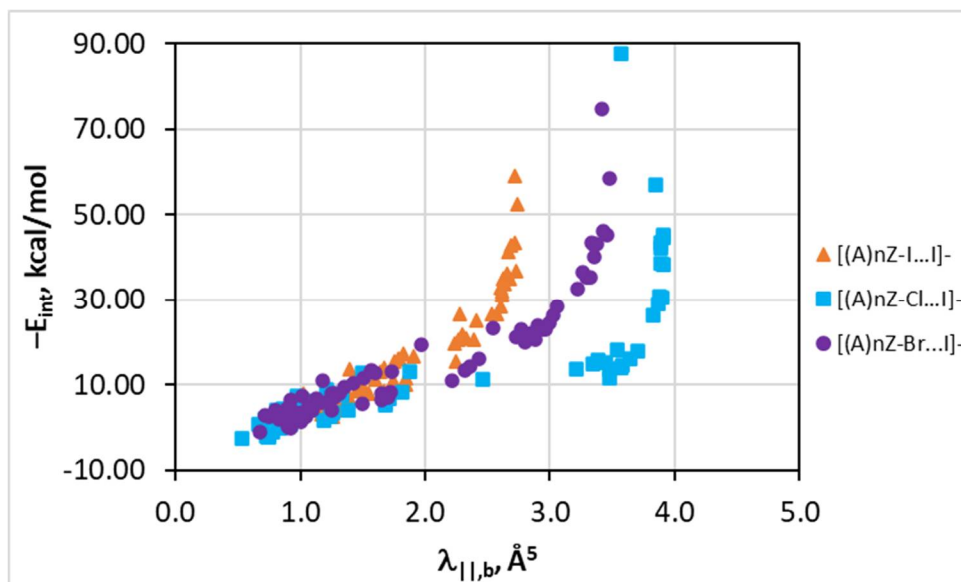
**Figure S2.** Correlations between  $-E_{\text{int}}$  and  $-V_b$  calculated at the M06-2X/ADZP-DKH and PBE0-D3BJ/ADZP-DKH levels of theory.



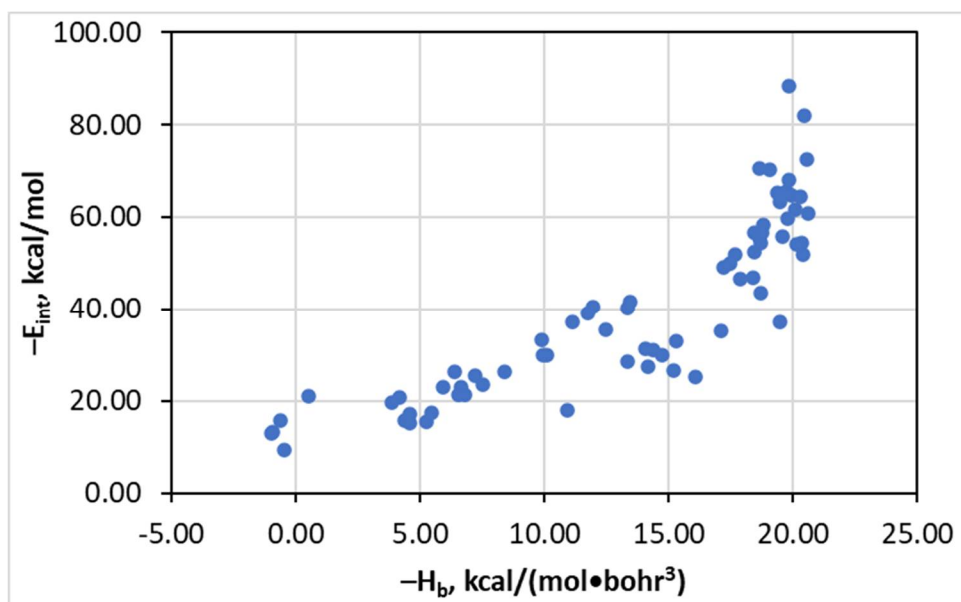
**Figure S3.** Plot of the slope of the  $E_{\text{int}}(V_b)$  dependence against difference of the Pauling's electronegativities of the atoms X and Y in structures  $[(A)_nZ-I\cdots X]^-$  and  $[(A)_nZ-Br\cdots I]^-$  (X = F, Cl, Br, I).



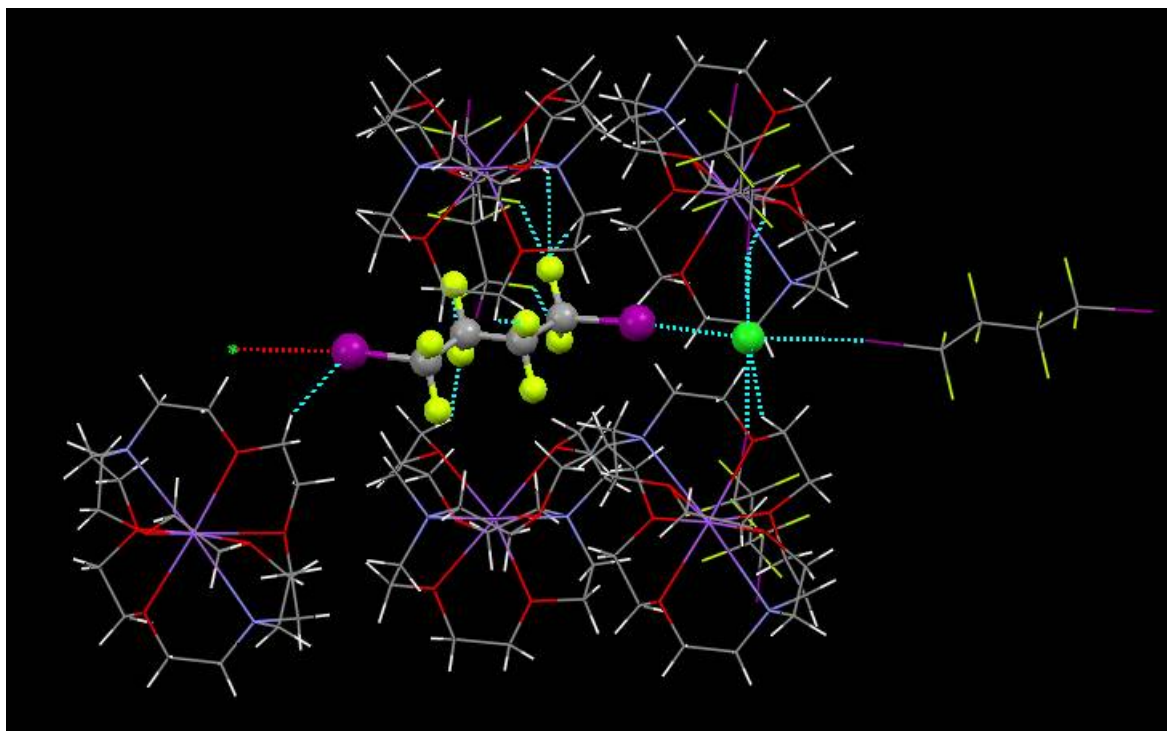
**Figure S4.** Plots of  $-E_{\text{int}}$  vs.  $\nabla^2\rho_b$ .



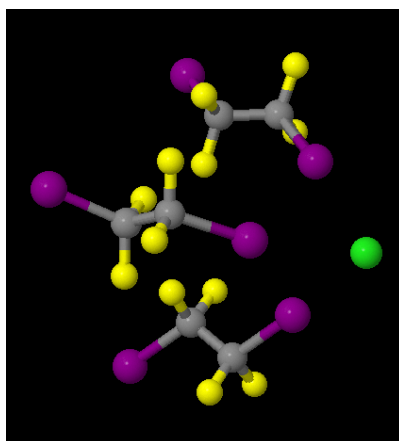
**Figure S5.** Plots of  $-E_{\text{int}}$  vs.  $\lambda_{\parallel,b}$ .



**Figure S6.** Plot of  $-E_{\text{int}}$  vs.  $-H_b$  for the  $[(A)_n\text{Z-I}\dots\text{F}]^-$  series.



**Figure S7.** Example of the adequate cluster for the direct estimates of  $E_{\text{int}}$  between the fragments I–C<sub>4</sub>F<sub>8</sub>–I and Cl<sup>–</sup> in the X-ray structure ACIPOU.



**Figure S8.** Four-molecule computational model of the structure ACIPIO (criterium for this model was inclusion of all ICF<sub>2</sub>CF<sub>2</sub>I fragments with the nearest neighbor I•••Cl distance in the three directions of 3.73 Å relatively to the given Cl<sup>–</sup> ion.  $E_{\text{int}}$  for the individual I•••Cl contact was calculated as  $E_{\text{int}}(\text{I}\bullet\bullet\bullet\text{Cl}) = E_{\text{int}}(\text{total})/3$ , where  $E_{\text{int}}(\text{total})$  is the total interaction energy between (ICF<sub>2</sub>CF<sub>2</sub>I)<sub>3</sub> and Cl<sup>–</sup>).